

Comparison of the Motion Accuracy of a Six Degrees of Freedom Radiotherapy Couch with and without Weights

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ABSTRACT

In this study, we compared the motion accuracy of six degrees of freedom (6D) couch for precision radiotherapy with or without weights attached to the couch. Two digital cameras were focused on the iso-center of a linear accelerator. Images of a needle which had been fixed to the 6D couch were obtained using the cameras when the couch moved in translation and rotation around each axis. The three-dimensional (3D) coordinates of the needle were calculated from coordinate values in the images. A coordinate error of the needle position relative to the theoretical position was calculated. The errors were obtained with or without a 60 kg weight attached to the 6D couch, and these errors were compared with each other. The mean distance of the 3D error vectors for the weighted test was 0.21 ± 0.11 mm, and $>0.16 \pm 0.09$ mm for the non-weighted test ($p < 0.05$). However, the difference of two values was 0.06 mm which is smaller than the minimum distance the 6D couch system can move correctly. The variance of 0.16 mm for the Y coordinate errors for the weighted test only was larger than that for the non-weighted test, which was 0.06 mm ($p < 0.05$). We found that a total weight of 60 kg did not affect the accuracy of the 6D couch clinically. However, the variance of the Y coordinate errors was increased. This might suggest that the addition of this weight increase the uncertainty of the motion of the 6D couch.

Keywords: 6D Couch; IGRT; Accuracy Assessment

1. Introduction

A six degrees of freedom (6D) couch with an infrared system is an effective system for the precise correction of patient setup errors in image guided radiation therapy (IGRT). To use a 6D couch for precision IGRT, accurate evaluation of the 6D couch should be performed. The accuracy and uncertainty involved in the use of a 6D couch with an infrared system were usually evaluated using a linear accelerator (LINAC) integrated imaging system, such as an X-ray radiography system or cone-beam computed tomography (CBCT) system. A 6D couch combined with an ExacTrac system (BrainLAB AG, Feldkirchen, Germany) has been evaluated with regard to uncertainty in its precision in several studies [1-4]. These evaluations were undertaken using the Wiston-Lutz test or by means of image registration software for ExacTrac X-ray images and for CBCT images. However, the Wiston-Lutz test only evaluates the origin of the 6D couch motion.

Another 6D couch, HexaPOD evo (Elekta AB, Stock-

holm, Sweden) was also evaluated regarding its accuracy using its image registration software with CBCT images [5]. The degree of accuracy depended on the resolution, especially in relation to CBCT, which has a voxel size of $1 \text{ mm} \times 1 \text{ mm} \times 1 \text{ mm}$. However, in general the 6D couch can move or recognize a distance of 0.1 mm at minimum. Hayashi et al. reported uncertainty regarding a 6D couch system on iso-centric rotation with a section sheet and a high-resolution digital camera [6]. Additionally, the accuracy and uncertainty of 6D couch systems reported in previous papers were evaluated without the use of an attached weight. A 6D couch with a patient on it should move accurately; consequently the accuracy of a 6D couch with attached weights should be evaluated.

In the present study, we have compared the accuracy of 6D couch motion with or without the use of an attached weight.

2. Materials and Methods

A HexaPOD evo as a 6D couch system was evaluated for

accuracy of motion regarding translation and rotation. The 6D couch is an add-on to the base couch system. The add-on 6D and the base couch systems can independently move in relation to each other. In the current study we have only evaluated the accuracy of the add-on 6D couch.

The motion of the 6D couch with regard to translation and rotation were evaluated in each axis of the coordinate system, namely translation along the X, Y and Z axis (TX, TY and TZ, respectively) and rotation around the X, Y and Z axis (RX, RY and RZ, respectively). In addition, evaluation of the accuracy of translation and rotation was carried out under non-weighted and weighted conditions. In the weighted evaluation, six metal blocks each weighing 10 kg (total 60 kg) were laid on the top of the 6D couch at constant distance of 30 cm from the gantry-side (**Figure 1**).

The HexaPOD evo has an official limitation regarding its translation range and rotation angle, which is ± 30 mm for the X and Y translation, ± 40 mm for the Z translation and ± 3.0 degrees of rotation around each axis. This motion limitation is based on the center of motion of the 6D couch system; this is not the iso-center and is located at about 1 m from the gantry end of the couch. Thus, the actual limitations based on the iso-center as being the origin are different from the official limitations. In the current evaluation, the actual limitations were -20 mm to $+29$ mm for the TX, -18 mm to $+30$ mm for the TY, -30 mm to 24 mm for the TZ, -1.1 degrees to 1.5 degrees for the RX, -2.9 degrees to $+29$ degrees for the RY and -1.3 degrees to $+1.3$ degrees for the RZ. The 6D couch system can detect a minimum positional difference of 0.1 mm on each axis and a minimum angle difference of 0.1 degree around each axis.

IGRT systems have several coordinate systems, for example a LINAC coordinate system, a CBCT coordinate system and so on. All coordinate systems usually have the same origin (iso-center), but some directions of the axis or angle differ from each other coordinate system; thus, in the present study all three-dimensional (3D) positions and angles were described in terms of the left hand coordinate system (**Figure 1(a)**).

Two Nikon D5000 (Nikon Corporation, Tokyo) digital cameras with an AF-S Micro NIKKOR 60 mm f/2.8G ED lens (Nikon Corporation, Tokyo) were used to measure the positional errors of the 6D couch. This camera has a 23.6×15.8 mm complementary metal oxide semiconductor image sensor and can take a 4288×2848 matrix image (*i.e.* the minimum pixel size was about 0.0055 mm). 3D coordinates for the needle tip were obtained from the two images obtained from the two cameras along two orthogonal axes in the 6D couch coordinate system. The needle was secured to the 6D couch. Images of the needle were obtained before and after each couch

motion, and the relative 3D position from the position before motion was calculated using these two images. The needle was attached to the end of a metal rod and the other end of the rod was attached to the end of the couch. The rod was positioned so that it had approximately a 45° angle relative to each axis in the coordinate system. This approach enabled the needle tip to be easily recognized in the images. A description of the evaluation of the translation and rotation of the 6D couch is detailed below.

2.1. Evaluation for Translation

The needle tip pointing at the iso-center was located using the laser localizer in the LINAC room. This needle tip position (couch position) was the initial position used in the evaluation of translation. Here, our assumption was that the origin of the 6D couch motion can be indicated by the laser localizer. Camera positions for each translational motion are shown in **Figure 2(a)**. For TX, in which the needle is moved along the X axis, the cameras were positioned on the Y and Z axes; for TY they were positioned on the X and Z axes. For TZ, the cameras were oriented to portrait and were positioned on the X and Y axes. Relative 3D coordinates were obtained from a pair of images with an orthogonal view angle.

To ensure its location on the X or Y axis, the camera was attached to a tripod and made level with the level of the camera platform; it was directed to the iso-center, which was indicated by the tip of the needle. The distance from the iso-center to the sensor plane of the digital camera was about 280 mm. This distance made the aperture size at the iso-center > 60 mm, which covered the translational motion range of the 6D couch; the spatial resolution at the iso-center in the images was approximately 0.015 mm/pixel. This resolution was sufficient because the 6D couch's infrared system can recognize a minimum distance of 0.1 mm.

After the camera had been correctly located, a fishing line (diameter, 0.074 mm) with a weight was suspended from the LINAC gantry at the iso-center and an image of the line was obtained from each camera to measure rolling angle θ_{roll} of an image. The angle θ_{roll} of the line from the vertical axis of the image was measured to correct for rolling of the camera position. Coordinates in the image affected by camera rolling can be corrected using the affine transformation as follows:

$$q \begin{pmatrix} i \\ j \\ 1 \end{pmatrix} = \begin{pmatrix} \cos \theta_{\text{roll}} & -\sin \theta_{\text{roll}} & 0 \\ \sin \theta_{\text{roll}} & \cos \theta_{\text{roll}} & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot q_{\text{raw}} \begin{pmatrix} i_{\text{raw}} \\ j_{\text{raw}} \\ 1 \end{pmatrix} \quad (1)$$

where, $q_{\text{raw}}(i_{\text{raw}}, j_{\text{raw}}, 1)$ is a measured position in an image, i and j were lateral coordinate and vertical coordinate, respectively (**Figure 1(b)**), and $q(i, j, 1)$ is a

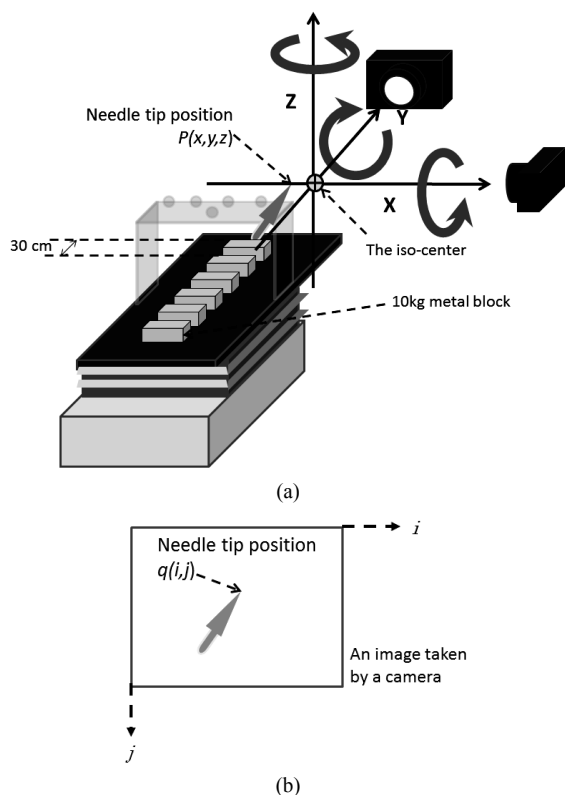


Figure 1. Diagrammatic representation of the weights and the coordinate system used for the 6D couch. The arrow in image (a) represents the needle which was used to measure table position. Image (b) shows an image taken by the digital camera and its coordinates system.

corrected position which is rotated by θ_{roll} .

A card type micrometer (TYK-15, EIGER TOOL, Japan) was placed at the iso-center and a image of the micrometer was taken by each camera to calculate the spatial resolution (mm/pixel) at the iso-center. When the camera position was changed, both the rolling angle and the spatial resolution were obtained again.

When a camera was located on the Z axis, the sensor plane of the camera should be made level. We placed the camera below the iso-center, directed it to the iso-center, and then checked the level at the front of the lens using a level tool. And to realize the rolling angle of camera, a board was placed in the aperture of the camera on the Z axis instead of fishing line. The laser line along the Y axis was reflected on it; then an image of the board reflecting the laser localizer was obtained to measure rolling angle, θ_{roll} of images. The angle θ_{roll} was used to correct the rolling with the Equation (1) as well.

The 6D couch and the needle were moved every 10 mm from 0 mm (the iso-center) along each axis. When the next moving distance overran the limitation of the translational motion of the 6D couch, the limitation value was evaluated as the moving distance; -20 mm to 29 mm for the TX, -18 mm to +30 mm for the TY and -30 mm

to +24 mm for the TZ. An image of the needle at the initial position was obtained, the couch with the needle was moved along only one of the axes from the initial position by entering a moving distance value into the 6D couch system and then another image of the needle was obtained. After this procedure had been completed the couch was returned to its initial position and an image of the needle was obtained for the next motion. This process was repeated for both the positive and negative directions of the couch motion and each movement was performed at a time once.

To obtain q_{raw} , which was the coordinates of a needle tip in an image, the manual measurement was performed three times and the mean of the three measured coordinates was used as the coordinate. The measurements were carefully performed by sufficiently magnifying the image. The coordinate values obtained in pixels were transformed to coordinate values expressed in mm by multiplying the spatial resolution at the iso-center obtained from an image of the micrometer. After this, a correction for camera rolling angle (Equation (1)) was applied to the coordinates q_{raw} .

The i and j of $q(i, j)$ corresponded with any two of x , y and z of the $p(x, y, z)$ in the 3D coordinate system. In the TX, i and j of the $q(i, j)$ in the image which was taken with the camera on the Y axis were used as x and z of the $p(x, y, z)$, respectively; j in the image which was taken with the camera on the Z axis was used as y of the $p(x, y, z)$. In the TY, i and j of the $q(i, j)$ in the image with the camera on the X axis were used as x and z of the $p(x, y, z)$; j in the image which was taken with the camera on the Z axis was used as x of the $p(x, y, z)$. In the TZ, j and i of the $q(i, j)$ in the image which was taken with the camera on the X axis were used as y and z of the $p(x, y, z)$; j in the image which was taken with the camera on the Y axis was used as x of the $p(x, y, z)$. In the RX, i and j of the $q(i, j)$ in the image which was taken with the camera on the X axis were used as y and z of the $p(x, y, z)$; j in the image which was taken with the camera on the Y axis was used as x of the $p(x, y, z)$. In the RY, i and j of the $q(i, j)$ in the image which was taken with the camera on the Y axis were used as x and z of the $p(x, y, z)$; j in the image which was taken with the camera on the X axis was used as y of the $p(x, y, z)$. In the RZ, j and i of the $q(i, j)$ in the image which was taken by the camera on the Z axis were used as x and y of the $p(x, y, z)$; j in the image which was taken by the camera on the Y axis was used as z of the $p(x, y, z)$. When the direction of i and j coordinates were opposite to the direction of the corresponding coordinates in the 3D space, i and j were changed to $-i$ and $-j$.

Coordinate error (x_{error} , y_{error} and z_{error}), namely the difference between the measured coordinate and the theoretical calculated coordinate $p_{calc}(x_{calc}, y_{calc}, z_{calc})$, was calculated for each motion (Equation (2)). The $p_{calc}(x_{calc}$,

$y_{\text{calc}}, z_{\text{calc}}$) was calculated by adding the moving distance to the coordinates of initial position. The distance of a 3D error vector was also calculated from the X, Y and Z coordinate errors (Equation (3)).

$$E(x_{\text{error}}, y_{\text{error}}, z_{\text{error}}) = p(x, y, z) - p_{\text{calc}}(x_{\text{calc}}, y_{\text{calc}}, z_{\text{calc}}) \quad (2)$$

$$D_{\text{vec}} = \sqrt{x_{\text{error}}^2 + y_{\text{error}}^2 + z_{\text{error}}^2} \quad (3)$$

where, $E(x_{\text{error}}, y_{\text{error}}, z_{\text{error}})$ is 3D error vector and D_{vec} is distance of a 3D error vector.

2.2. Evaluation of Rotation

In the evaluation of couch rotation the needle tip was shifted by 10 mm from the iso-center as the initial position. The needle was attached to the couch in an identical manner to that used for the evaluation of translation. A second needle was pointed to the iso-center and was secured to the LINAC gantry; thus, this second needle continuously indicated the position of the iso-center. The positions of the cameras and the needle tip in the evaluation of rotational motion are shown in **Figure 2(b)**. The needle was moved down by 10 mm from the iso-center to recognize the rotational motion of the needle tip for the RX and RY. For the RZ the needle tip was shifted to the right by 10 mm.

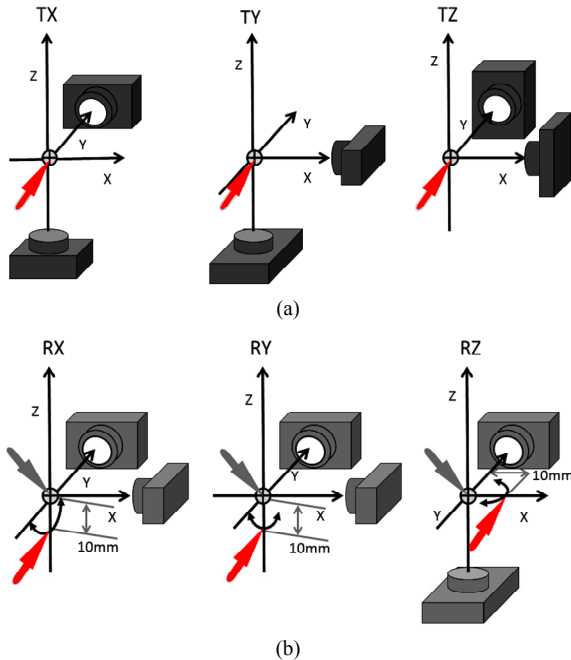


Figure 2. Camera positions and alignments. Image (a) shows the camera positions used in the evaluation of translation motion, TX, TY and TZ. Image (b) shows the camera positions used in the evaluation of rotation motion, RX, RY and RZ. The red arrows in image (a) and image (b) represent the needles which were tracked to obtain table positions. The gray arrows in image (b) represent the second needle which points out the iso-center.

In the evaluation of rotation preparation of the camera settings, distance from the iso-center to the camera sensor plan, direction of the optic axis to the iso-center and so on, were the same as for the evaluation of translation. The rotation angle of the couch was set every 1 degree from 0 degrees for each axis until the limitation of the rotation was reached; -1.1 degrees to $+1.7$ degrees for the RX, -2.9 degrees to $+2.0$ degrees for the RY and -1.4 degrees to $+1.4$ degrees for the RZ. In common with the evaluation for translation, the 6D couch was rotated and returned to the initial position repeatedly. The images of the needle tip were obtained from the cameras at the initial position and then at the new position. Each movement was performed at a time once.

The method used for the measurement of the needle tip coordinates in the images was the same as that used for the measurement of the needle tip coordinates in the evaluation of translation; the coordinates were measured three times and were averaged, and the averaged coordinate was translated from pixels to mm and applied to the correction of camera rolling.

Coordinate errors, which were differences between the measured coordinates and the theoretical calculated coordinates of the needle tip, were calculated in the evaluation of rotation. To calculate the theoretical estimated position of the needle tip, the initial position p_{init} was applied to a 3D Affine transformation using the 6D couch-entered angle, θ_{input} . The origin of this rotation was the position of the iso-center indicated by the second needle. The 3D Affine transformation for rotation of each axis is defined as follows:

Rotation around the X axis;

$$p_{\text{calc}} \begin{pmatrix} x_{\text{calc}} \\ y_{\text{calc}} \\ z_{\text{calc}} \\ 1 \end{pmatrix} = \begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & \cos \theta_{\text{input}} & -\sin \theta_{\text{input}} & 0 \\ 0 & \sin \theta_{\text{input}} & \cos \theta_{\text{input}} & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \cdot p_{\text{init}} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix} \quad (4)$$

Rotation around the Y axis;

$$p_{\text{calc}} \begin{pmatrix} x_{\text{calc}} \\ y_{\text{calc}} \\ z_{\text{calc}} \\ 1 \end{pmatrix} = \begin{pmatrix} \cos \theta_{\text{input}} & 0 & \sin \theta_{\text{input}} & 0 \\ 0 & 1 & 0 & 0 \\ -\sin \theta_{\text{input}} & 0 & \cos \theta_{\text{input}} & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \cdot p_{\text{init}} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix} \quad (5)$$

Rotation around the Z axis;

$$p_{\text{calc}} \begin{pmatrix} x_{\text{calc}} \\ y_{\text{calc}} \\ z_{\text{calc}} \\ 1 \end{pmatrix} = \begin{pmatrix} \cos \theta_{\text{input}} & -\sin \theta_{\text{input}} & 0 & 0 \\ \sin \theta_{\text{input}} & \cos \theta_{\text{input}} & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \cdot p_{\text{init}} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix} \quad (6)$$

where, $p_{\text{init}}(x, y, z, 1)$ is an initial position before rotation and $p_{\text{calc}}(x_{\text{calc}}, y_{\text{calc}}, z_{\text{calc}}, 1)$ is a theoretical calculated position that is rotated by the hexapod-entered angle, θ_{input} .

Distance of 3D error vector of the coordinate error was also calculated.

3. Results

Mean coordinate errors for the non-weighted and weighted tests are detailed in **Table 1**. The coordinate errors were differences between the measured coordinates and the theoretical calculated coordinates of the needle tip. The errors for the non-weighted and the weighted tests were compared using the paired *t*-test.

On the translation in **Table 1**, the 60 kg weights did not affect the accuracy of the 6D couch motion. All of the mean coordinate errors for the translation did not exceed ± 0.1 mm, which is the minimum value recognized by the 6D couch system; there was no significant difference in each coordinate error between the non-weighted and the weighted tests ($p > 0.05$).

On the rotation in **Table 1**, The X coordinate error of -0.13 ± 0.15 mm for the rotation of the couch with the weight attached was obtained, and the error was significantly different from the X coordinate error for the rotation of the non-weighted couch ($p < 0.01$). The other coordinate errors did not exceed ± 0.1 mm. However, the Y coordinate errors for the rotation with or without weight attached, which were 0.02 ± 0.04 mm and -0.06 ± 0.05 mm, respectively, were also significantly different from each other ($p < 0.01$).

With regard to the overall results, calculated from both the translation and rotation measurements, all of the mean coordinate errors did not exceed ± 0.1 mm. However, the Y coordinate errors between the non-weighted and weighted couch differed significantly ($p < 0.05$).

Figure 3 shows the mean distances of the 3D error vectors for each motion. The translation result included all results for the TX, TY and TZ, and the rotation result included the results for the RX, RY and RZ.

The mean distance of the 3D error vector for the couch rotation with the weight attached was 0.22 ± 0.14 mm (**Figure 3(c)**), and this was larger than the distance of 0.16 ± 0.09 mm for the non-weighted couch ($p < 0.05$). Considering the overall results, including the results of

Table 1. Mean coordinate errors for the weighted and non-weighted 6D couch.

		X (mm)	Y (mm)	Z (mm)
Translation	Non-weighted	0.04 ± 0.09	-0.03 ± 0.06	-0.01 ± 0.13
	Weighted	0.03 ± 0.08	-0.06 ± 0.16	0.00 ± 0.10
Rotation	Non-weighted	$-0.04 \pm 0.19^{**}$	$0.02 \pm 0.04^{**}$	0.07 ± 0.09
	Weighted	$-0.13 \pm 0.15^{**}$	$-0.06 \pm 0.05^{**}$	0.08 ± 0.13
Overall	Non-weighted	0.00 ± 0.15	$-0.01 \pm 0.05^*$	0.02 ± 0.12
	Weighted	-0.04 ± 0.15	$-0.06 \pm 0.12^*$	0.04 ± 0.12

Data are presented as the mean \pm standard deviation. * $p < 0.05$; ** $p < 0.01$.

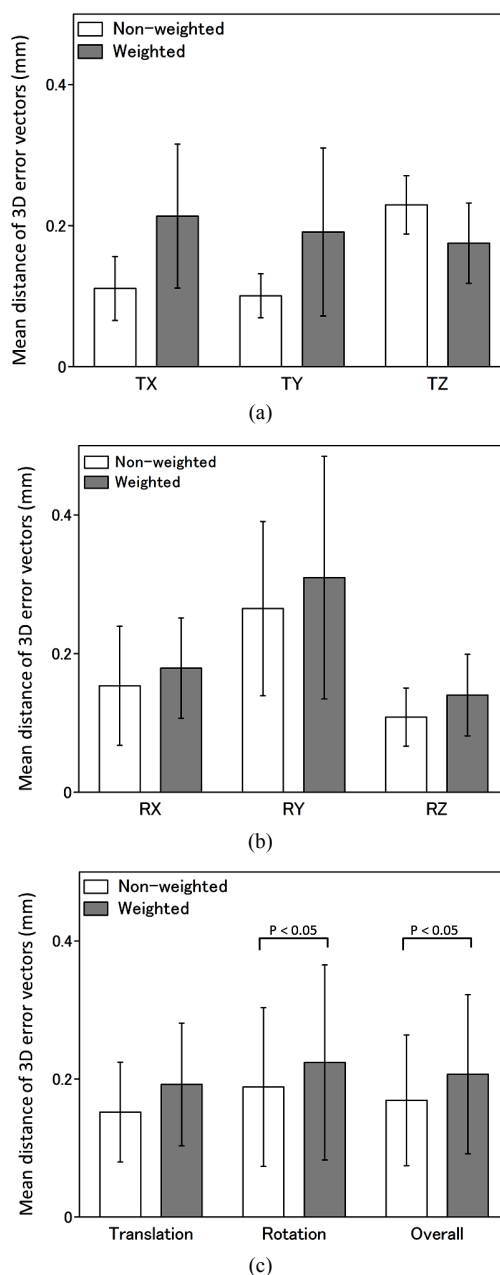


Figure 3. Mean distance of the 3D error vectors. Image (a) shows the results for each translation, and image (b) for each rotation. Image (c) shows the total data for translation and rotation and the overall data. Error bars represent standard deviation of distances of 3D error vectors.

the translation and the rotation motion, the mean distance of the 3D error vectors for the weighted couch was 0.21 ± 0.11 mm (**Figure 3(c)**); this was larger than the mean distance of 0.16 ± 0.09 mm for the non-weighted couch ($p < 0.05$). With regard to the other motions, there was no significant difference between the results for the non-weighted and the weighted couch.

Error distribution for each translation and rotation motion was evident as an important 2D plane (**Figure 4**).

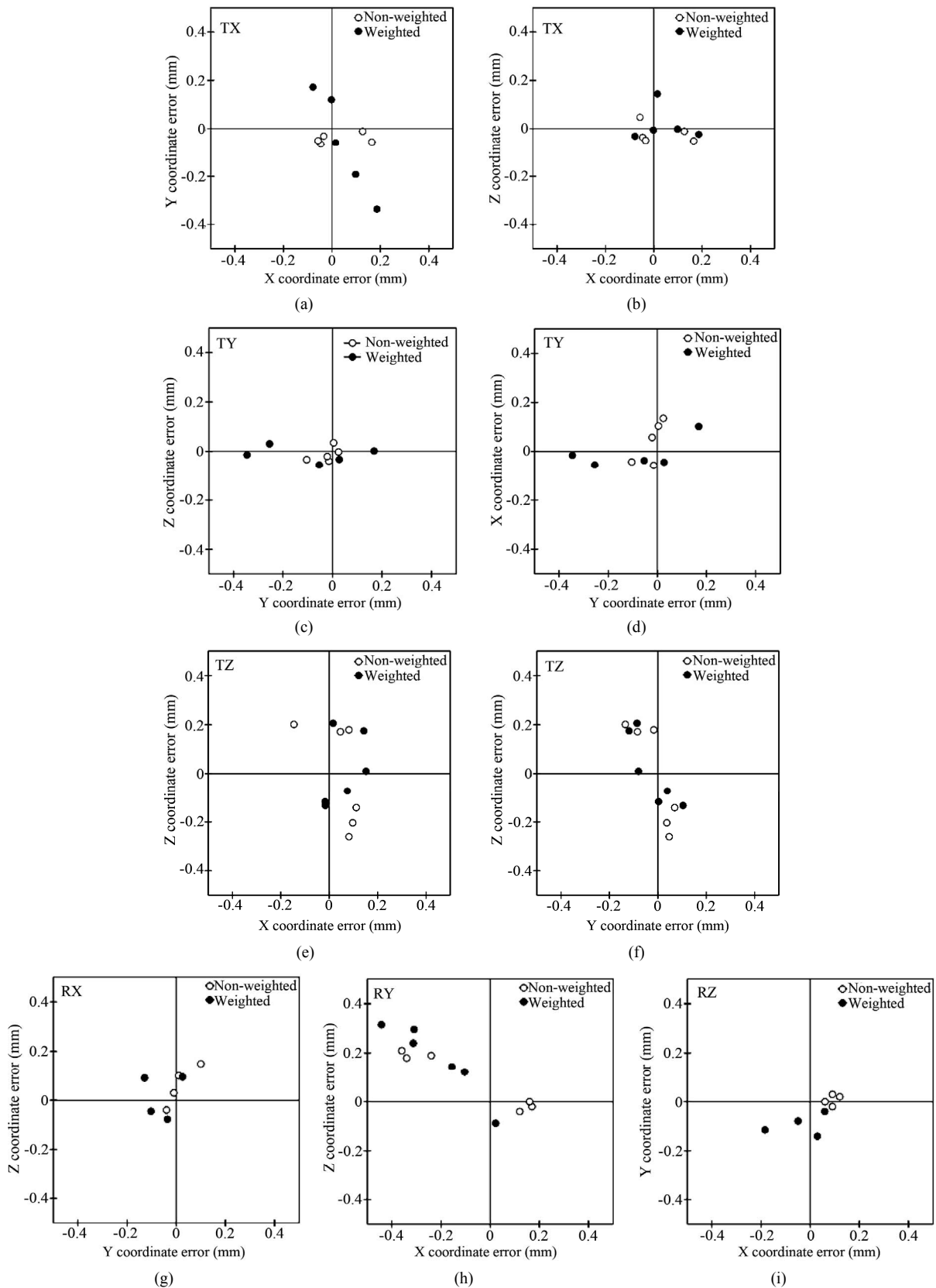


Figure 4. Distributions of coordinate errors. Images (a) and (b) show the error distribution for the TX in 2D graphs, images (c) and (d) for the TY, images (e) and (f) for the TZ and images (g), (h) and (i) for the RX, RY and RZ, respectively.

The points in the graphs in **Figure 4** represent errors of the movements. For instance, **Figure 4(a)** shows five points for each of non-weighted and weighted and these points represents the error for -20 mm, -10 mm, 10 mm 20 mm and 29 mm translations. The 3D errors were represented in two 2D graphs. The Y coordinate errors in the TX and TY for the weighted couch were more widely spread than for the non-weighted couch, although there was no significant difference in the mean error of the translation motion, as shown in **Table 1**. The error distributions for the rotation motion, RX, RY and RZ, for both the non-weighted and weighted couch were unevenly spread. Thus, a significant difference between the non-weighted and weighted couch in terms of the X and Y coordinate errors for the rotation motion would occur.

4. Discussion

The mean X coordinate error in the rotation and the mean Y coordinate error in the rotation and the overall error for the weighted couch significantly differed from those for the non-weighted couch. However, all differences did not exceeded 0.1 mm which is the correctable minimum distance of the 6D couch system.

With regard to the overall results, the mean distance of the 3D error vectors for the weighted couch was 0.21 ± 0.11 mm, which was larger than the mean distance of the 3D error vectors of 0.16 ± 0.09 mm for the non-weighted couch. There was a significant difference between these values. However, the difference was only 0.05 mm. The difference in the mean 3D distance for the rotation motion between the non-weighted and the weighted couch was also low at only 0.03 mm.

Significant differences were observed in the results of the mean distance of the 3D error vectors with regard to the rotation and overall and the mean coordinate error along X and Y axes. All of these differences between the non-weighted and weighted couch were smaller than the minimum correctable distance of the 6D couch system. Thus, a 60 kg weight does not actually affect accuracy of the 6D couch motion in the clinical situation.

Although the mean error of the Y coordinate in the translation did not differ significantly, the distribution of the Y coordinate errors with regard to the weighted couch seemed to spread more widely than was the case for the non-weighted couch. The standard deviations of the Y coordinate errors for the non-weighted and weighted couches were 0.06 mm and 0.16 mm, respectively. A significant difference was found between the variances of these distributions using the *F*-test ($p < 0.01$). This suggested that the uncertainty of motion, especially concerning the Y coordinate, could be increased by the attachment of the 60 kg weight, and that this uncertainty might possibly be further increased by the use of a heav-

ier weight.

The variance of a coordinate of the needle tip in three time manual measurements from an image was up to one pixel (approximately 0.015 mm). It was enough smaller than the motion errors of the 6D couch.

5. Conclusion

We found that attaching a weight of 60 kg to the 6D couch only slightly increased the error regarding the accuracy of motion. The amount of increase of the error is smaller than the minimum correctable distance of the 6D couch system. Thus, the 6D couch can correct setup error for a patient with body weight of about 60 kg or lighter. However, we also found that the distribution of the Y coordinate errors for the weighted couch was greater than those for the non-weighted couch. This might suggest that a weight of more over 60 kg would increase the uncertainty of motion.

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